

# Chapter 1: LINEAR FUNCTIONS

? What is a linear function? ?

# Section 1.1: Slopes & Equations of Lines

We can model some real world situations using "mathematical models" to examine trends & make predictions in situations where 2 quantities are related.

ex/ A Bank account pays 6% simple interest per year. How much interest do you make in 1 year?

We graph these pairs on a "Cartesian Co-ordinate System":

Slope of a Line: represents "steepness"

? How do we find the slope of a line ?

ex/ Find the slope of the line through

ex // graph the line passing  
with slope  $\frac{1}{2}$

th (2, 1)

## Equations of a Line:

1) Slope-Intercept Form:

ex // Find the eqn' of the line w/ slope 1 &  
y int. 7

2) Point-slope Form:

ex // Find the eqn' of the line w/ slope 2  
& going through (1, -1)

## Section 1.2: Linear Functions & Applications

In situations such as we have been discussing, we say that  $y$  is a "linear function" of  $x$ .

$y$  is the **dependent** variable

$x$  is the **independent** variable

Defn!: a **LINEAR FUNCTION** is a relationship  $f$  defined by  $y = f(x) = mx + b$  for real numbers  $m$  &  $b$ .

Exx Suppose an economist has studied the supply & demand for vinyl siding & has determined that the price per square yard  $P$  & the quantity demanded monthly  $q$  are related by the linear function  $P = D(q) = 60 - \frac{3}{4}q$  (DEMAND)

While the price  $P$  & supply  $S$  are related by  $P = S(q) = \frac{3}{4}q$  (SUPPLY)

a) Find the demand at a price of \$45 & \$18.

b) Find supply at a price of \$60, & \$12.

c) Graph both fcn's on the same axis  
Look at the ordered pairs:

? What happens where the supply & demand curves cross?

This is called the "equilibrium", it is when the supply & demand are equal.

So our "equilibrium price" is  
& our "equilibrium quantity" is

ex find the equilibrium from the previous example without graphing

Cost: The cost of manufacturing consists of a "fixed cost" & a "cost per item"

ex The marginal cost to make  $x$  units of feed is \$20 & the company charges \$24. The cost to produce 10 units is \$300.

a) find the cost fun'  $C(x)$

b) how many units must be sold for the firm to break even?